

CSC5001

Lab 2 : OpenMP - Task parallelism

1 Hello tasks!

The program `no-hello.c` creates as many threads as there are cores on the machine using the `pragma omp parallel` directive.

```
1 int main()
2 {
3     #pragma omp parallel
4     {
5         printf("Hello from %d\n", omp_get_thread_num());
6         printf("Bye from %d\n", omp_get_thread_num());
7     }
8     return 0;
9 }
```

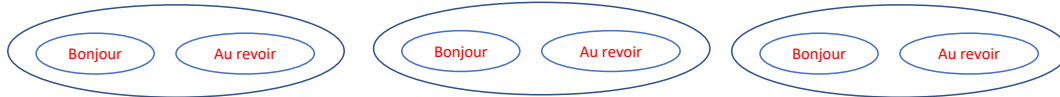
According to the standard, and by construction, each thread executes its code within an *implicit task* that is automatically linked to it. Here, each thread/implicit task performs two `printf()`. For 3 threads, this produces the following task graph :



1.1 First explicite taskified hello

An explicit task is a block of instructions to be executed in parallel with others. The following program illustrates how to basically create explicit tasks thanks to the `pragma omp task` :

```
1 int main()
2 {
3     #pragma omp parallel
4     {
5         #pragma omp task
6         printf("Hello from %d\n", omp_get_thread_num());
7
8         #pragma omp task
9         printf("Bye from %d\n", omp_get_thread_num());
10    }
11    return 0;
12 }
```



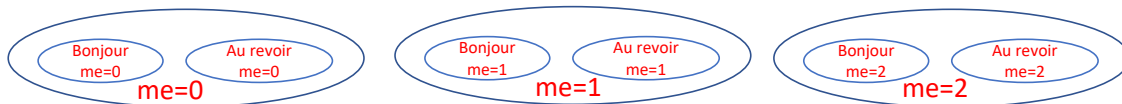
Here, each thread executes its implicit task, which explicitly creates 2 child tasks. Each explicit task displays the thread id executing it. Compile the program and run it several times to see its possible schedulings.

Then, to better visualize the work of each thread, add a variable `me` containing the thread id initiating the task. `me` is then passed to the child tasks using the `firstprivate(me)` clause. This clause indicates that a copy of the variable including its value is created in the child task context, like an input parameter for a function.

```

1 int main()
2 {
3     #pragma omp parallel
4     {
5         int me = omp_get_thread_num();
6
7         #pragma omp task firstprivate (me)
8         printf("Hello from %d exécuté par %d\n", me, omp_get_thread_num());
9
10        #pragma omp task firstprivate (me)
11        printf("Bye from %d exécuté par %d\n", me, omp_get_thread_num());
12    }
13    return 0;
14 }

```



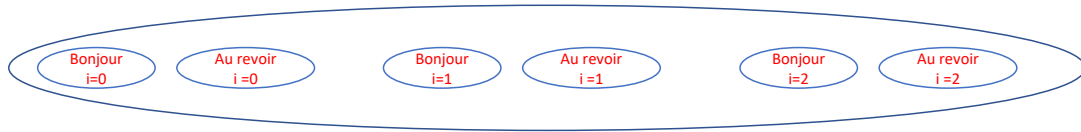
Run and analyze the behavior of the above program. Use more threads than cores to reinforce the non-deterministic nature of this program : each thread creates two tasks, each of which is executed by any thread in the team, in any order. Only an implicit task is associated with a thread while explicit tasks are associated with the thread team.

The OpenMP standard specifies that an explicit task can be executed immediately after its creation, or be deferred until execution by any thread in the creator thread's team. The standard also specifies that a thread can leave a task in progress to start another one; nevertheless, by default, any task started by a thread must be finished by that thread. Only tasks created using the `untied` clause can be taken over by any team member thread.

1.2 A lot of hello

Task generation is usually ensure by an only one thread. The number of tasks launched is then independent of the number of threads, which is very convenient. To do this, a `single` directive (a single thread executes the block) or a `master` directive (only the master executes the code) is used inside the parallel directive that will compute the tasks set.

Modify the following code so that each display is handled by a dedicated task as in this task



graph :

```
1 const char *hello[]={ "Good morning",
2                       "Bonjour",
3                       "Buon Giorno",
4                       "Buenos días",
5                       "Egun on",
6                       NULL};
7
8 const char *bye[]={ "Bye",
9                    "Au revoir",
10                   "Arrivederci",
11                   "Hasta luego",
12                   "Adio",
13                   NULL};
14
15 int main()
16 {
17     #pragma omp parallel
18     {
19         for (int i = 0 ; hello[i] != NULL; i++)
20             printf("%s (%d)\n",hello[i], omp_get_thread_num());
21
22         for (int i = 0 ; bye[i] != NULL; i++)
23             printf("%s (%d)\n",bye[i], omp_get_thread_num());
24     }
25     return 0;
26 }
```

At this stage, the same only one thread generates tasks. If it decides to postpone this role to execute one compute task and the task queue becomes empty meanwhile, the others team threads can have to wait its return. Go further by introducing a intermediary explicit task in charge of generating all the tasks but that can be executed by any team thread.

2 Task synchronization

So far we've produced sets of tasks whose execution is disordered, as tasks can be executed by any thread of the team. Here, we'll look at how to introduce a dose of determinism.

2.1 Directive taskwait

We now want to wait for all « Hello » tasks to finish before creating the « Bye » tasks. To achieve this, insert a `pragma omp taskwait` between the two `for` loops. This directive stops the execution of the current task until all its child tasks have been completed. Test this solution.

2.1.1 taskwait vs taskgroup

The program `task-wait.c` allows to observe that the `taskwait` directive is a barrier that waits completion of sub-tasks only in the task that generated them. By running the `task-wait.c` program, you can observe that tasks that have not generated tasks end quickly, as they do not have any child tasks to wait.

```
1 int id = 0;
2
3 void create_task(char *name, int parent)
4 {
5     #pragma omp task firstprivate(name, parent)
6     {
7         sleep(1);
8         printf("%s [Child of %d]\n", name, parent);
9     }
10 }
11
12 int main()
13 {
14     #pragma omp parallel num_threads(4)
15     {
16         int me ;
17         #pragma omp atomic capture
18         me = id++;
19
20         #pragma omp single nowait
21         {
22             printf("task %d will create A and B \n", me);
23             create_task("A", me);
24             create_task("B", me);
25         }
26
27         #pragma omp taskwait
28         printf("task %d has passed taskwait \n", me);
29     }
30 }
```

By refining the `taskwait` directive behavior, it waits not all its sub-tasks but only its child tasks. To be convinced, let consider the `task-group.c`, identical to `task-wait.c` except that "grandchild" tasks are produced in the function `create_task` of `task-group.c`. When running `task-group`, you observe that the task creating the subtasks doesn't wait for the grandchild tasks termination to finish, and passes the `taskwait` directive.

Modify the `task-group.c` program by deleting the call to `taskwait` and using the directive `taskgroup`. Note that the `taskgroup` directive applies to a block of instructions (similar to the `critical`, `master`, etc. directives). Run the `task-group` program again and observe that the creation task is waiting for all its descendants.

2.1.2 Task and lifetime of local variable

The `taskwait` directive can also be used to control the lifetime of local variables, as illustrated by the following program :

```

1 void generate()
2 {
3     char message[]="so far so goog!";
4
5     for(int i = 0; i < 10 ; i++)
6         #pragma omp task shared(message) firstprivate(i)
7         printf("task %d by thread %d >>>> %s <<<< \n",
8             i,omp_get_thread_num(), message);
9
10    #pragma omp taskwait
11 }
12
13 int main()
14 {
15     #pragma omp parallel
16     {
17         #pragma omp single
18         {
19             generate();
20             printf("%d - after generate \n", omp_get_thread_num());
21         }
22     }
23     return 0;
24 }

```

1. Execute the program and check if it behaves correctly.
2. Comment the directive `taskwait` and observe the execution behavior.
3. Replace the `shared(message)` clause by a `firstprivate(message)` directive and observe the program behavior.

2.2 Interdependent task graph

Let go back to our `hello` program so that every `hello` is displayed before its corresponding `bye` more finely that just by displaying all the `hello`s and then all the `byes`.

2.2.1 Nested tasks

Here's a solution that uses an intermediate task to group together pairs of tasks :

```

1 int main()
2 {
3     #pragma omp parallel
4     {
5         #pragma omp single
6         {
7             for (int i = 0 ; hello[i] != NULL; i++)
8                 #pragma omp task firstprivate(i)
9                 {
10                    #pragma omp task firstprivate(i)
11                    printf("%s (%d)\n", hello[i], omp_get_thread_num());
12                }
13            }
14     }
15 }

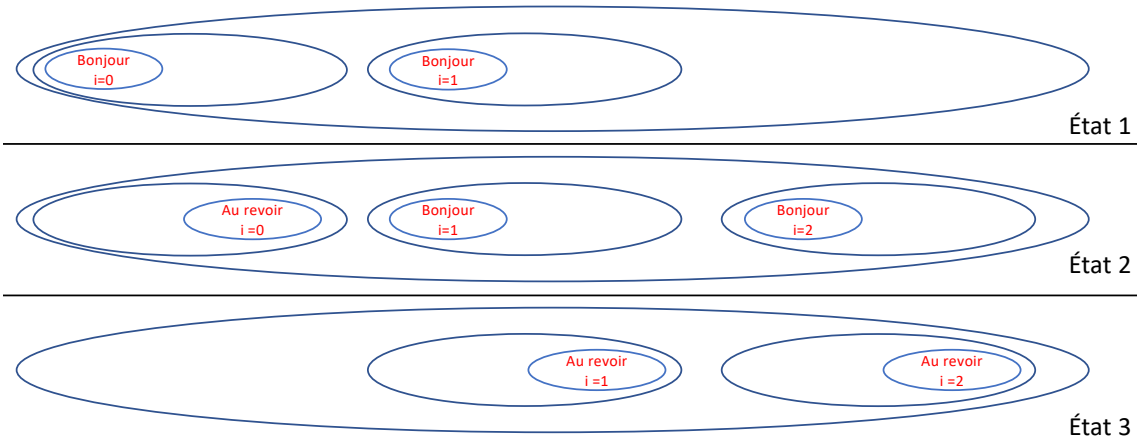
```

```

13     #pragma omp taskwait
14
15     #pragma omp task firstprivate(i)
16     printf("%s (%d)\n", bye[i], omp_get_thread_num());
17 }
18 }
19 }
20 return 0;
21 }

```

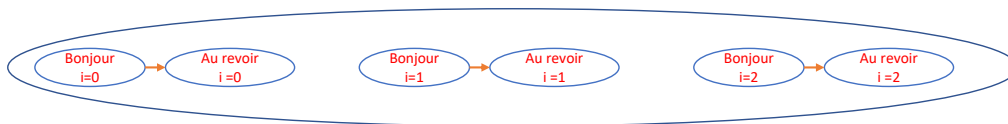
Below is an example of three successive states of tasks awaiting execution. We observe that for a given i the bye task always appears after the corresponding hello task has been complete.



2.2.2 Data dependency

A more elegant solution is to use OpenMP's ability to automatically compute dependencies between tasks based on indications provided by the programmer. For each task, it has to be specified which data are accessed in read-only, write-only and read/write mode. Since tasks are inserted sequentially, the OpenMP runtime is able to automatically add dependencies between a task that produces an object and those that consumes it.

Add dependencies in `single-hello.c` that produces the following task graph. To do this, you have to be clever by adding a clause `depend(out: hello[i])` to the pragmas of the hello tasks and `depend(in: hello[i])` to the pragmas of the bye tasks. It indicates to the OpenMP runtime that each hello task produces the data `hello[i]` and that this data is required to execute the corresponding bye task.



3 Research of components in an image

This exercise focuses on searching for components in an image in OpenMP. To do this, we will use the `max` kernel provided in sequential in EASYPAP.

3.1 Introduction

Two non-zero pixels belong to the same object if they are directly connected or if there is a path of connected non-zero pixels linking them. Two pixels are considered connected if they share an edge (i.e., they are neighbors to the north, south, east, or west).

To identify the objects, it starts by assigning a unique color to each non-zero pixel. Then, it iteratively propagates the maximum value to neighboring pixels. After several iterations (at most equal to the total number of pixels), all pixels belonging to the same object will have the same value — specifically, the highest one among them. At this point, propagation reaches a stable state, and the process is complete.

The propagation can be basically done by iterating over all pixels. Nevertheless, its performance can be significantly improved by using two directional passes instead of a full sweep each time.

```
// first pass : usual sweep
for (int i = 0; i < DIM; i++)
for (int j = 0; j < DIM; j++)
...

// second pass : reverse sweep
for (int i = DIM-1; i >= 0 ;i--)
for (int j = DIM-1; j >= 0 ;j--)
...
```

It then becomes unnecessary to compute the maximum over all four neighboring pixels. Instead, it's enough to consider only those neighbors that most effectively propagate the maximum label.

By convention, let's define the downward pass as scanning the image from left to right, from top to bottom. In this pass, to propagate the maximum label downward, we only need to compare the current pixel's label with those of its west and north neighbors. The upward pass is defined as scanning from right to left, from bottom to top. In this case, to propagate the maximum label upward, we compare the current pixel's label with its south and east neighbors.

This algorithm is implemented in the `max_compute_seq` function of `max.c`. You can launch it like this (note that specify the variant is unnecessary) :

```
/run -l images/spirale.png -k max -v seq
```

3.2 Parallelization with an OpenMP for directive

In a variant you call `ompfor`, parallelize the initial code using a OpenMP for construct, without necessarily preserving the data dependencies implied by the sequential version : the order of computations does not matter as long as the algorithm reaches convergence (stagnation).

Here, the goal is to parallelize the functions `tile_down_right` and `tile_up_left` (by copying them, in order to keep the original sequential versions), in the simplest way possible — by adding just two directives.

- Verify that the result is correct on the image `spirale.png`:

```
./run -l images/spirale.png -k max -v ompfor
```

- Measure the performance on a generated spiral of dimension `DIM = 2048` with 100 tours (options `-s` and `-a`) (option `-n`, for `-no-display` takes the measure and prints the result in milliseconds):

```
./run -s 2048 -a 100 -k max -v ompfor -n
```

Expérimentalement on s'aperçoit que si l'on se contente de paralléliser les boucles `for`, la version parallèle effectue significativement plus d'itérations que la version séquentielle en présence de « gros » objets. En effet, admettons que tous les pixels soient opaques alors la version parallèle nécessitera autant d'itérations qu'il y a de threads pour remonter le max au lieu d'une seule pour la version séquentielle.

Note that experimental results show that merely parallelizing the `for` loops can lead to a significantly higher number of iterations compared to the sequential version, especially in the presence of large connected components. Indeed, assuming that all pixels in the image are opaque, the parallel implementation may require as many iterations as there are threads to fully propagate the maximum value across the object, whereas the sequential implementation necessitates an only one.

3.3 Parallelization with OpenMP tasks

Une piste pour améliorer l'efficacité de la parallélisation est de sacrifier un peu de parallélisme pour conserver la bonne transmission du max. Sur la figure 1 ci-dessous, chaque case représente une « tuile » de pixels. Le contenu de chaque tuile est traité de façon séquentielle.

One possible approach to improve the previous parallel implementation is to sacrifice some degree of parallelism in order to preserve a better propagation of the maximum label. In Figure 1 below, each cell represents a tile of pixels. The contents of each tile are processed sequentially.

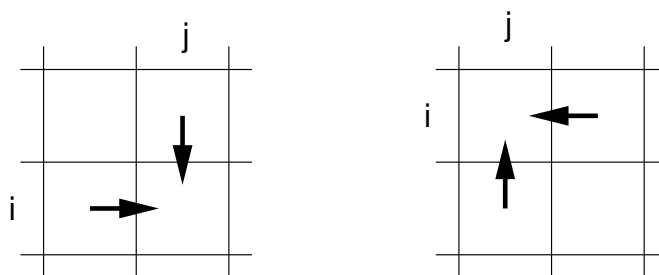


FIGURE 1 – Dependencies inter tiles during the the downward pass (on the left) and the upward pass (on the right).

In the downward phase (Figure ??), processing begins with the tile in the top-left corner. More generally, a tile can be processed once its north and west neighbors have been processed.

Symmetrically, in the upward phase (Figure ??), processing starts with the bottom-right tile. In general, a tile can be processed once its south and east neighbors have been processed.

The tiled version of this algorithm is implemented in the function `max_compute_tiled` (in `max.c`), where the number of tiles is defined by `NB_TILES_X × NB_TILES_Y`. To ease the observation, square tiles can be used by specifying the same number of tiles in both directions via the `--nb-tiles` (or `-nt`) option. For example, to use a 16×16 tiling :

```
./run -s 2048 -k max -v tiled -a 100 -nt 16
```

Parallélisez le code de la version tuilée (en créant une nouvelle variante `max_compute_task`) en faisant en sorte que chaque macro cellule soit réalisée par une tâche OpenMP. On utilisera alors la clause `depend` pour contraindre l'ordre d'exécution des tâches afin de conserver l'ordre séquentiel de la propagation du max. Pour simplifier l'expression des dépendances on pourra utiliser un tableau annexe qui ne servira que pour exprimer les dépendances :

Parallelize the tiled version in a new variant called `max_compute_task`, in which each tile is executed by an OpenMP task. Use the `depend` clause to enforce the execution order of the tasks, so as to preserve the sequential propagation of the maximum value. To ease the expression of dependencies (likewise in exercice 2.2.2), you can use an auxiliary array that serves only for expressing dependencies (it does not participate in the computation itself).

```
int tile[NB_TILES_Y][NB_TILES_X + 1] __attribute__((unused));
```

Check the result visually and the number of iterations used on `spirale.png` (with and without `-n` option) :

```
./run -l images/spirale.png -k max -v task -nt 16 -n
```

Vérifiez également, au moyen d'une trace d'exécution, que les dépendances entre tâches sont bien respectées. Vous pouvez par exemple utiliser cette séquence de commandes :

Verify, using an execution trace, that the dependencies between tasks are correctly enforced. For doing that, use the following sequence of commands :

```
# generate thumbnails
./run -l data/img/stars.png -k max -v task -nt 16 -tn -n
# trace
./run -l data/img/stars.png -k max -v task -nt 16 -t -n
# observe
./view
```

By moving the mouse over the Gantt chart from left to right, you should observe a “wavefront” of tasks progressing toward the bottom-right corner (see Figure 2), then toward the top-left corner, and so on.

3.3.1 Towards the optimal setting

Compute a theoretical upper bound of parallelism based on the number of tiles along one dimension (e.g., `NB_TILES_X`), assuming an unlimited number of processors is available.

Determine experimentally the optimal number of threads to use in order to achieve satisfactory speedup, using a script inspired by `plots/run-xp-mandel.py`.

Adapt also the script `plots/run-xp-heat-mandel.py` in order to vary the tile size by using the following options :



FIGURE 2 – Progression du front de tâches lors de la phase descendante de la propagation du maximum.

```
easypapOptions = {
    "-k": ["max"],
    "-i": [20],
    "-v": ["task"],
    "-s": [2048],
    "-a": [100],
    "-th": [2**i for i in range(0, 10)],
    "-tw": [2**i for i in range(0, 10)],
    "-of": ["heat-max.csv"],
}
```

You can also remove the unnecessary configuration of `OMP_SCHEDULE` variable.

Use the following commands in order to generate a *heatmap* and observe the program behavior in term of speedup according to the tile geometry (option `ajust` allows to ajust de image scaling) :

```
plots/run-xp-heat-mandel.py

plots/easyplot.py --plotttype heatmap -if heat-max.csv -heatx tilew -heaty tileh -v task ajust=2

evince heat-max.pdf
```

4 Travelling salesman problem

We're looking to optimize a salesman's tour, passing through a set of cities and returning to his starting point. Here we consider an Euclidean space in which the cities are all connected in pairs.

4.1 Few tips on the code

The number of cities is contained in `nbCities` and the variable `minimun` contains the length of the smallest known tour.

When calling `void tsp (stage, lg, chemin, mask)`, the parameter `path` contains a path of `stage` integers (cities) all distinct; the length of this path is `lg`; the `i`-th bit of the variable `mask` is equal to 1 if and only if city `i` appears in the path.

The variable `grain` contains the requested level of nested parallelism (0 - no parallelism; 1 - a single thread team is created on the first level of the search tree; 2 - thread teams are additionally created at level 2 of the tree, etc).

4.2 Sequential version

Take a quick look at the implementation provided and try it with 12 cities and a 1234 seed. The expected minimum path is 278.

```
./tsp-main 12 1234 seq
```

Measure the time required for 13 cities and a seed 1234. Note that the tree path is exhaustive, so the analysis generated by two sub-paths of k cities require the same number of operations (their complexity ultimately depending only on k and the number of cities).

5 Parallelization with threads

We parallelize here the program without seeking to optimize its performance.

Copy the code of the function `tsp_seq` function in the function `tsp_ompfor`. Then add the following pragma just before the loop that launches the recursive exploration of sub-trees.

```
#pragma omp parallel for if (etape <= grain)
```

Run the parallel version :

```
./tsp-main 12 1234 0 ompfor # grain == 0 no parallelism
./tsp-main 12 1234 1 ompfor # grain == 1 only the first level is parallel
```

Take care now to shared or private variables. In particular, it is important to prevent threads to concurrently work on the same shared array. It also means protect concurrent access to the minimum variable.

Once your program works, compare the performance of the parallel program with its sequential version. The acceleration should not be huge as there is a lot of path copies and the call to `#pragma parallel` induces a non-negligible overhead even if a clause `if` clause deactivates the parallel section.

Observe the performance when varying the `grain` parameter. Do not forget to position the `OMP_NESTED` environment variable.¹.

5.1 Obvious optimization

Let's start by removing the unnecessary OpenMP overhead by switching to the sequential function when no more parallelism is generated :

```
void tsp_ompfor(...)
{
    if (step > grain) { // sequential version
        tsp_seq(...);
    } else { // parallel version
```

1. Note : `OMP_MAX_ACTIVE_LEVEL` replaces `OMP_NESTED` since OpenMP 5.0.

```

    #pragma omp parallel for ...
    ...
}
}

```

Then, observe the usage of variable `minimum` and remove the critical section that protects its access when only read. Only a modification of the variable has to be done in an critical section.

5.2 Parallelization with directive collapse

Another way to parallelize the code is to distribute to threads all the pathes of n steps from city 0. This distributes n -tuples of cities by using the directive `collapse(n)`.

Insert the functions of the file `collapse.c` and call them from the `main()`.

Compare the execution time of the different versions.

6 Algorithmic optimization - branch cutting

There is no point in continuing to evaluate a path when its length is greater than the current minimum (corresponding to the length of the smallest complete path already found). To implement this optimization, insert the following test at the start of recursive `tsp_xxx()` functions.

```

if (lg + distance[0][path[step-1]] >= minimum)
    return;

```

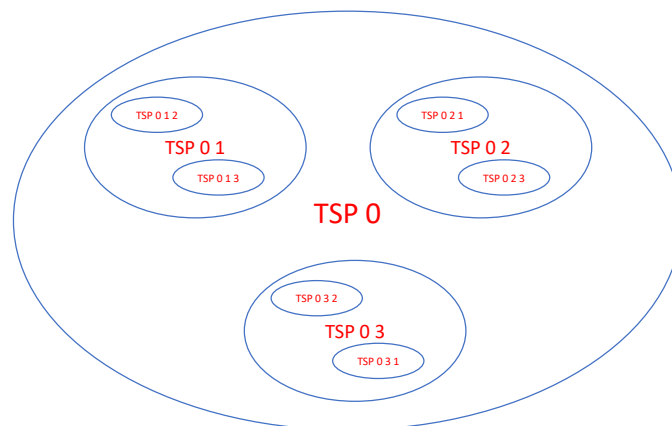
Compare performance of the different version with 15 cities and a seed of 1234.

This optimization unbalances the calculation, as the path analysis is no longer exhaustive : some branches are cut very high, others very low. This optimized parallel code has become *irregular*.

7 Parallelization with tasks

Now let's parallelize using OpenMP tasks.

Here's the nested task graph for 4 cities :



For this purpose :

1. duplicate the function `tsp_ompfor` and name it `tsp_task`. (don't forget to change the recursive call);
2. create threads in the `tsp_task` function, but with a single thread launches the search ;
3. insert a directive to create a task for each recursive call to the `tsp_task` procedure ;
4. insert a `taskwait` clause at the end of the function in order to avoid the lost of the array path.

Another solution is to dynamically allocate a data zone to duplicate the path and then pass the address of this to the task. As each task owns its own path, no synchronization is required. However, the task will have to free the dynamically allocated memory.

Compare the performance of both implementations.